

# Performance Analysis of Best Replacement Optimization Model in Stock Market Forecasting

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**Abstract**— Stock Price Prediction is one of the emerging fields of research and many method's like technical analysis, statistical methods, time series analysis etc are used for this purpose. In this paper, we have presented a Best Replacement Optimization (BRO) approach to predict stock market data. S&P CNX Nifty Fifty indices are used as sample data set to validate the concept. The performance of this model is analysed by comparing with Hidden Markov Model and Particle Swarm Optimization Techniques.

**Index Terms**—Stock Market, Particle swarm optimization, Best Replacement Optimization.

## 1. INTRODUCTION

The present financial world stock market forecasting is considered as one of the most challenging tasks. So, lot of attention has been given to analyze and forecast future value and behavior of financial time series. Different factors interact in stock market such as business cycles, interest rates, monetary policies, general economic conditions, traders' expectations, political events, etc., According to academic investigations, movements in market prices are random rather they behave in a highly non-linear, dynamic manner [2]. Ability to predict direction and correct value of future stock market value is the most important factor in financial market to make money. These days because of online trading, stock market has become one of the hot targets where anyone can earn profits. So, forecasting the correct value and behavior of stock market has become the area of interest.

A lot of researches were conducted and many forecasting model have been proposed. Hidden Markov Model was first described by Leonard E. Baum in 1960s and has been used in analyzing and predicting time series phenomena such as speech recognition [6], ECG[3] analysis and DNA sequencing [1]. In [6], the authors explained basis of HMM and how it can be used in signal prediction. The stock prediction problem is similar to these problems in its inherent time-dependence; however the application of HMMs to stock market is still relatively limited. In [5], the authors used HMM for forecasting stock markets.

Particle swarm optimization (PSO) is a population based stochastic optimization technique developed by Dr. Eberhart and Dr. Kennedy in 1995, inspired by social behavior of bird flocking or fish schooling. In [4], the authors presented the comparison of two meta-heuristic approaches: Differential Evolution and Particle Swarm Optimization in the training of feed forward network to

predict the daily stock prices. In [7], the authors introduced the PSO technique to develop an efficient forecasting model for prediction of various stock indices.

In this paper, BRO Algorithm as a modified version of PSO Algorithm is used to predict the stock market and then compare this model with HMM and PSO model.

## 2. METHODOLOGY

Secondary data was obtained from yahoo finance. BRO Algorithm methods are used for predicting stock prices. The performance of this model is then analyzed by comparing with Hidden Markov Model and PSO Algorithm. Forecasting efficiency was derived based on following error measures MAE – Mean Absolute Error, RMSE – Root Mean Square Error and MSE – Mean Square Error.

### Particle swarm optimization

PSO simulates the behaviors of bird flocking. Suppose the following scenario: a group of birds are randomly searching food in an area. There is only one piece of food in the area being searched. All the birds do not know where the food is. So what's the best strategy to find the food? The effective one is to follow the bird which is nearest to the food. PSO learned from the scenario and used it to solve the optimization problems. In PSO, each single solution is a "bird" in the search space. We call it "particle". All of particles have fitness values which are evaluated by the fitness function to be optimized, and have velocities which direct the flying of the particles. The particles fly through the problem space by following the current optimum particles.

PSO is initialized with a group of random particles (solutions) and then searches for optima by updating generations. In every iteration, each particle is updated by following two "best" values. The first one is the best

solution (fitness) it has achieved so far. (The fitness value is also stored.) This value is called *pbest*. Another "best" value that is tracked by the particle swarm optimizer is the best value, obtained so far by any particle in the population. This best value is a global best and called *gbest*. When a particle takes part of the population as its topological neighbors, the best value is a local best and is called *lbest*.

After finding the two best values, the particle updates its velocity and positions with following equation (1) and (1).

$$v[i] = v[i] + c_1 * \text{rand}() * (pbest[i] - present[i]) + c_2 * \text{rand}() * (gbest[i] - present[i]) \quad (1)$$

$$present[i] = present[i] + v[i] \quad (2)$$

$v[i]$  is the particle velocity,  $present[i]$  is the current particle (solution).  $pbest[i]$  and  $gbest[i]$  are defined as stated before.  $\text{rand}()$  is a random number between (0,1).  $c_1, c_2$  are learning factors (weight).

#### Inertia Weight

$D$  is the dimension,  $c_1$  and  $c_2$  are positive constants,  $\text{rand}_1$  and  $\text{rand}_2$  are random numbers, and  $w$  is the inertia weight

$$v_{id}^{new} = w_1 \cdot v_{id}^{old} + c_1 \cdot \text{rand}_1 \cdot (p_{id} - x_{id}) + c_2 \cdot \text{rand}_2 \cdot (p_{gd} - x_{id}) \quad (3)$$

$$x_{id}^{new} = x_{id}^{old} + v_{id}^{new} \quad (4)$$

Velocity can be limited to  $v_{max}$ .

This equation (3) taken in account from the PSO algorithm and it is modified as BRO Algorithm based on processing value of iteration. The BRO Algorithm set the treat hold value of global value as the limitation of iteration.

*lim* → limit of iteration

$lim_{max}$  → threshold of Global fitness value

(or)

±i of Global fitness value where  $i < \text{Max GFV}$

$$v_{id}^{new} = \sum_{i=0}^{lim_{max}} (w_1 \cdot v_{id}^{old} + c_1 \cdot \text{rand}_1 \cdot (p_{id} - x_{id}) + c_2 \cdot \text{rand}_2 \cdot (p_{gd} - x_{id})) \quad (4)$$

where  $c_1$  is average of before 2 years value from the particle and  $c_2$  is average of after 2 years value from the particle

#### **Procedure for BRO Algorithm**

**Step1:** Initialize position and velocity of all the particles randomly in the N dimension space.

**Step2:** Evaluate the fitness value of each particle, and update the global optimum position.

**Step3:** According to changing of the gathering degree and the steady degree of particle swarm, determine whether all the particles are re-initialized or not.

**Step4:** Determine the individual best fitness value. Compare the  $l_p$  of every individual with its current fitness

value. If the current fitness value is better, assign the current fitness value to  $l_p$ .

**Step5:** Determine the current best fitness value in the entire population. If the current best fitness value is better than the  $g_p$ , assign the current best fitness value to  $g_p$ .

**Step6:** For each particle, update particle velocity,

**Step7:** Repeat the iteration of the particle using *gbest* fitness value and limit the iteration of the particle.

**Step8:** Update particle position.

**Step9:** Repeat Step2 - 7 until a stop criterion is satisfied or a predefined number of iterations are completed. While maximum iterations or minimum error criteria is not attained Particles' velocities on each dimension are clamped to a maximum velocity  $v_{max}$ . If the sum of accelerations would cause the velocity on that dimension to exceed  $v_{max}$ , which is a parameter specified by the user. Then the velocity on that dimension is limited to  $v_{max}$ .

#### Weight Updation using BRO:

The optimal BRO parameters have been determined by varying the inertia weight ( $w_i$ ), maximum velocity ( $v_{max}$ ), social and cognitive coefficient ( $c_1$  and  $c_2$ ) and the particle size and the values of the parameters for which we have found the best result in our data set are as follows:

Inertia weight= 102025257

Maximum velocity= 686898999

Particle size = 4000

### **3. COMPARISON OF MODELS**

In this section, the forecasted values obtained from the BRO model is compared with HMM and PSO model. S&P CNX Nifty 50 index values are used to test the efficiency of proposed BRO method.

#### **3.1. Data Set Used:**

Historical Stock Price data (from 01.01.1997 to 30.04.2013) of S&P CNX Nifty 50 collected from <http://in.finance.yahoo.com>

#### **3.2. Result**

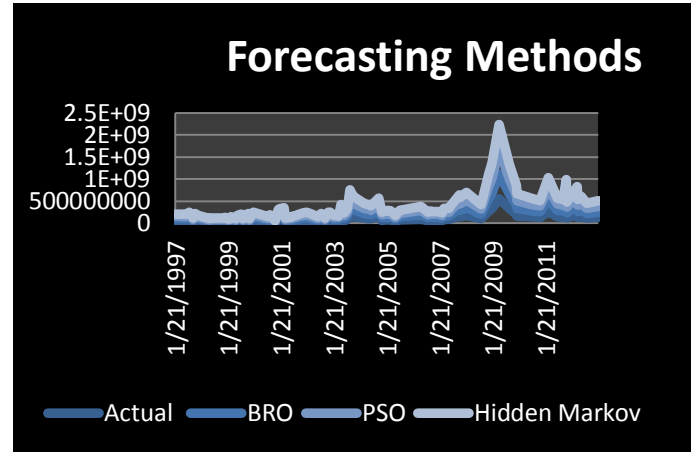
Data from 01.01.1997 to 30.04.2013 (total 4076 data) is used to predict the stock share traded value. The table 1 given below is showing the predicted value and percentage relative error in prediction for random days.

**Table 1: Predicting price, Actual price and Error (%) of share traded value**

Date	Actual	Predicted Value			Error(% of share traded value)		
		HM M	PR O	BRO	H M M	PRO	BRO
2/19/2007	5941 9122	5936 0471. 48	5939 2508 .4	5939 9122. 19	0.0 987 06	0.0447 9	0.03365 9
9/1/2009	3326 3904 6	3325 7411 0.5	3326 1368 3	3326 1904 6.3	0.0 195 21	0.0076 25	0.00601 2
6/27/2011	1434 0240 7	1433 3114 2.4	1433 7860 2	1433 8240 7.5	0.0 496 96	0.0166	0.01394 6
8/3/2012	1129 1865 3	1128 4994 5.4	1128 9309 2	1128 9865 3.3	0.0 608 47	0.0226 37	0.01771 2
2/1/1999	2317 5431	2309 2873. 38	2315 4417 .4	2315 5431. 48	0.3 562 29	0.0906 72	0.08629 6
7/25/2003	8540 2139	8532 8125. 27	8537 4187 .5	8538 2139. 39	0.0 866 65	0.0327 29	0.02341 8
5/19/2005	4262 6009	4256 6810. 17	4259 6843 .3	4260 6009. 48	0.1 388 8	0.0684 22	0.04691 9
3/14/2007	8332 5778	8324 7001. 29	8330 2140 .5	8330 5778. 19	0.0 945 41	0.0283 68	0.02400 2
10/15/2007	1609 8728 8	1609 0721 5.2	1609 6540 9	1609 6728 8.5	0.0 497 39	0.0135 91	0.01242 3
1/6/2009	3404 5291 6	3403 5881 1.3	3404 2373 7	3404 3291 6.2	0.0 276 41	0.0085 71	0.00587 4
11/1/2010	1289 0952 5	1288 5944 6.4	1288 8556 3	1288 8952 5.4	0.0 388 48	0.0185 88	0.01551 4
12/2/1997	4342 7325	4337 6257. 39	4340 5325 .5	4340 7325. 28	0.1 175 93	0.0506 58	0.04605 3
9/27/1999	4640 3334	4631 6447. 17	4638 1794 .5	4638 3334. 28	0.1 872 43	0.0464 18	0.0431
3/11/2005	7047 4058	7040 5377. 29	7045 0652 .5	7045 4058. 17	0.0 974 55	0.0332 12	0.02837 9
1/4/2007	6709 6186	6703 4482. 18	6707 4949 .5	6707 6186. 37	0.0 919 63	0.0316 51	0.02980 7
10/20/1999	5637 1669	5631 5029. 17	5634 3114 .5	5635 1669. 48	0.1 004 76	0.0506 54	0.03547 8
8/14/2001	4286 2979	4280 0653. 28	4283 4532 .5	4284 2979. 18	0.1 454 07	0.0663 66	0.04666

6/9/2003	5875 0135	5869 2341. 28	5872 3824 .5	5873 0135. 27	0.0 983 72	0.0447 84	0.03404 2
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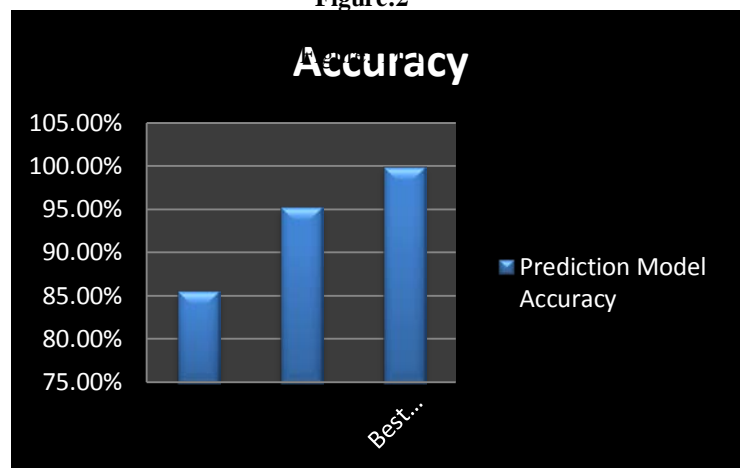
**Figure1: Forecasting Methods**



**Table 2: Error performance measurements**

Prediction Model	Test Type			Accuracy
	MAE	RMSE	MSE	
Hidden Markov Model	0.144132	74947.59	5617141565	85.59%
Particle Swam Optimization	0.0475278	24946.92761	622349197	95.25%
Best Replacement Optimization	0.000344	19899.42112	395986961	99.96%

**Figure:2**



**4. CONCLUSION**

In this paper, we have analysed the performance of BRO forecasting model. This paper not only comes out with a model of forecasting but also compares the result

with existing HMM and PSO model and provides enough evidence why this method performs better than those

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models.

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